### Towards a dynamics core program

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ALADIN-Hirlam Workshop





#### I finished my PhD about horizontal spatial discretization in April 2016

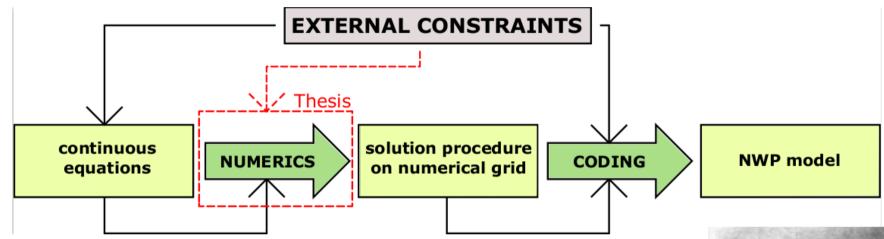
Let us come back to the question that formed the basis of this thesis: *Can we use within the current spectral SISL ALADIN model a local horizontal spatial discretization scheme and how to do this?*.

This thesis provides arguments that a local solver can be added to the ALADIN framework while retaining most of the current code organization. FD spatial discretization methods based on the Z-grid approach suffer from an eigenmode decomposition problem, which mainly manifests itself during the first timesteps. Similar FD tests were undertaken within an A-grid approach and no fingerprint of the spurious waves that are diagnosed in analytical A-grid tests was found. The A-grid approach combined with fourth- or higher-order FD spatial discretization yields results close to the spectral experiments for ALARO tests. Therefore, higher-order A-grid methods are a promising candidate for a modular implementation of local schemes within ALADIN.

In the next slides I will clarify this conclusion.

### Context of this research

Development of NWP model consists of different steps. The choices made depend on **external constraints**.



One example of a constraint is the available HPC infrastructure.

Constraints can evolve in time and a NWP model should be ready to adapt...



## Why should we care about local horizontal spatial discretization methods?

Strength spectral method:

Combining a **spectral spatial** approach with a **SISL time** discretization permits stable, long timestep integrations while solving efficiently the implicit Helmholtz problem.

# Why should we care about local horizontal spatial discretization methods?

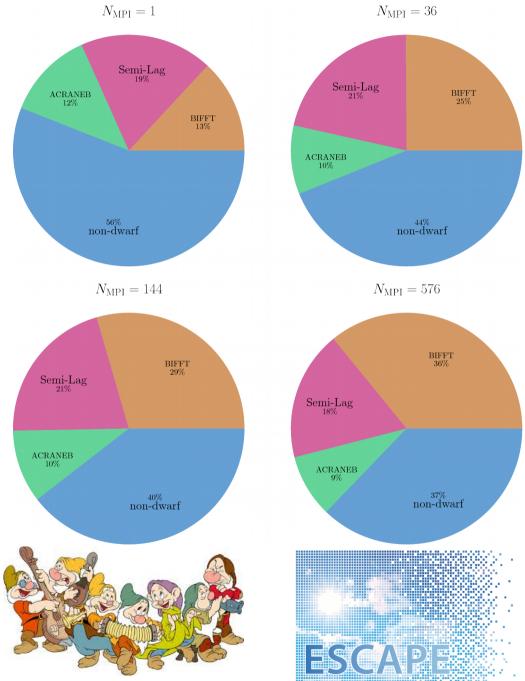
#### <u>But:</u>

→ not very flexible (e.g. impossible to get horizontally inhomogeneous terms in SI solver)

→ needs global communication but what on massively parallel computer architectures?

We should investigate local spatial discretization alternatives (e.g. finite differences) but **modularity** is crucial. We need to keep as many building blocks as possible!

Not only for practical reasons but also to permit 'scientifically clean' tests.



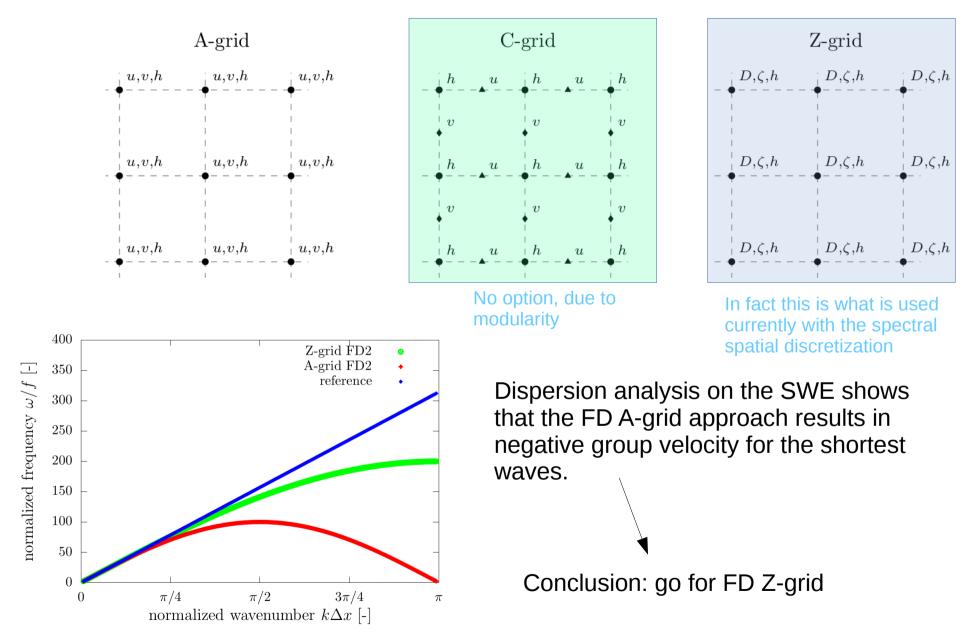
### Retain maximally the timestep organization

#### ALADIN time step organization

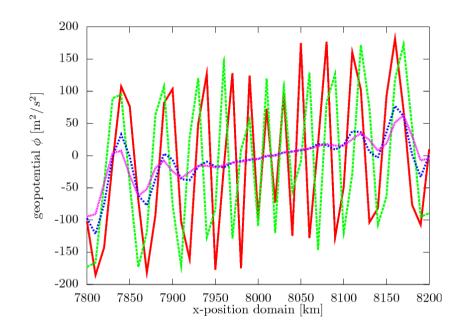
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1	transform fields: spectral $\rightarrow$ grid point	
2	calculate physics in arrival points	$\mathcal{P}(\mathbf{U}_A^0)$
3	update tendencies	
4	compute SL departure points D	
	and do interpolations	
5	compute explicit part dynamics	$(\mathcal{I} + rac{\Delta t}{2}\mathcal{L}^*)\mathbf{U}_D^0 + \Delta t(\mathcal{M} - \mathcal{L}^*)(\tilde{\mathbf{U}})$
6	add all tendencies	$\mathbf{R}_{lam}$
7	lateral boundary coupling	$\mathbf{R}_{tot} = \alpha \mathbf{R}_{host} + (1 - \alpha) \mathbf{R}_{lam}$
8	transform fields: grid point $ ightarrow$ spectral	
9	solve for updated fields	$\mathbf{U}_A^+ = (\mathcal{I} - \frac{\Delta t}{2}\mathcal{L}^*)^{-1}\mathbf{R}_{tot}$

This is only one illustration of the benefits of modularity.

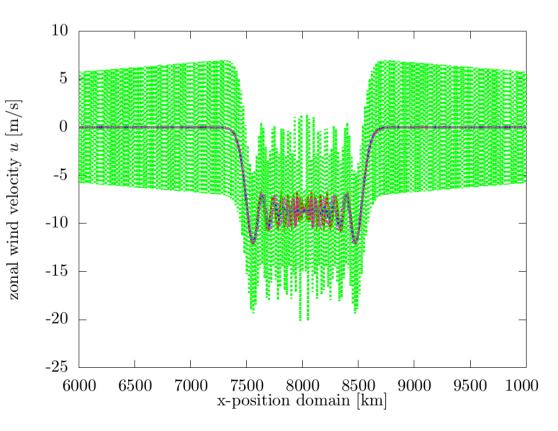
### Stay on a collocation grid



#### But analysis reveals two drawbacks of FD Z-grid



Introduction of **asymmetries** distorts the appropriate Z-grid geostrophic adjustment behaviour. A solution consists of constructing symmetric Zgrid schemes but they come at an extra cost... Z-grid **eigenvectors** are different from the analytical eigenvectors at the short scale end of the spectrum. This is a fundamental property of Z-grid schemes and spoils even symmetric SI Z-grid schemes.



### Conclusion after analysis

Both FD A-grid and Z-grid schemes suffer from problems. No local method can beat the spectral approach in terms of dispersion analysis.

Only real model ALADIN tests with the different local alternatives can determine wich of the local approaches (A-grid or Z-grid) is most suitable.

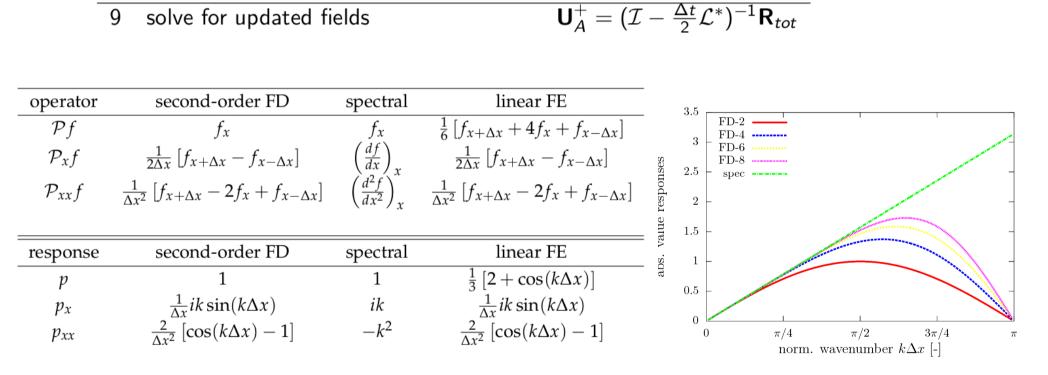
But how to do such real model tests without having to implement new solvers?

### We can mimic a FD spatial discretization in the spectral ALADIN model by changing the responses.

The scientific impact of local schemes can be tested by replacing the spectral responses by finite differences responses.

detail of ALADIN timestep organization

9



Different response functions for 1st order derivative

Implementation is trivial but the approach is very powerful and 'scientifically clean'. ALADIN provides a unique testbed!

### Real model ALADIN tests of FD and spectral method

#### **Specifications experiments**

#### Domain

- 2 different horizontal grid resolutions; 12km and 4km
- 46 vertical levels
- consider both linear as well as quadratic truncation

#### Finite difference parameters:

Simulated finite difference methods: A grid and Z grid Orders of accuracy: 2,4,6 and 8

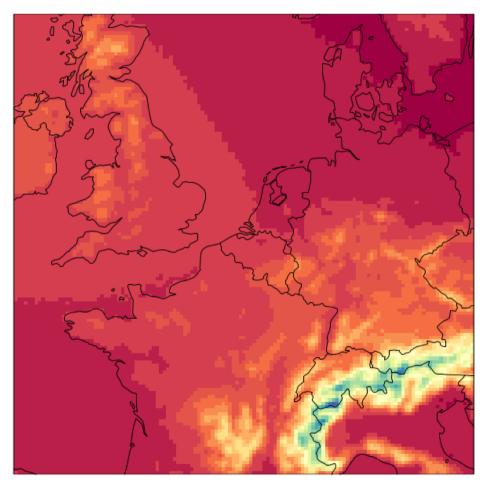
#### Other parameters considered:

with DFI/without DFI

#### **Forecast periods:**

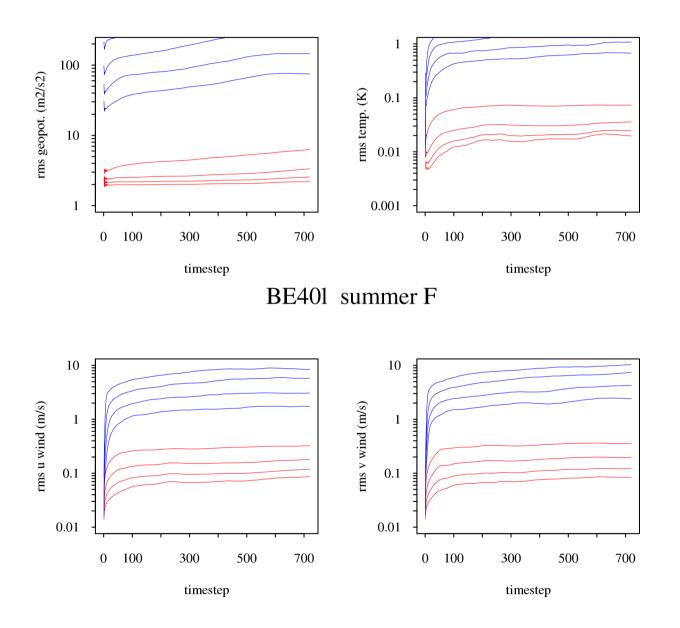
Investigate 2 periods of 7 consecutive days in different seasons (January 2016, June 2016)

#### SURFPRESSION 2016/01/04 z00:00 Initialized



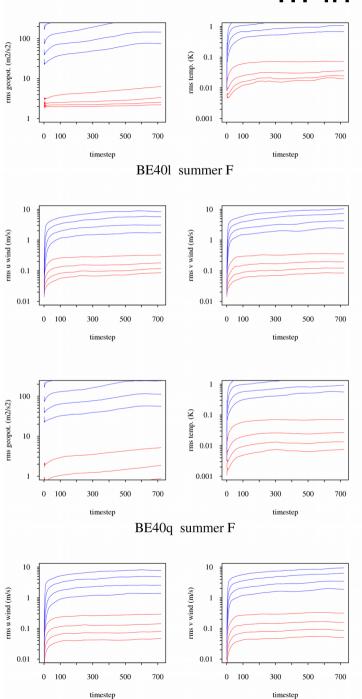
domain used for the study

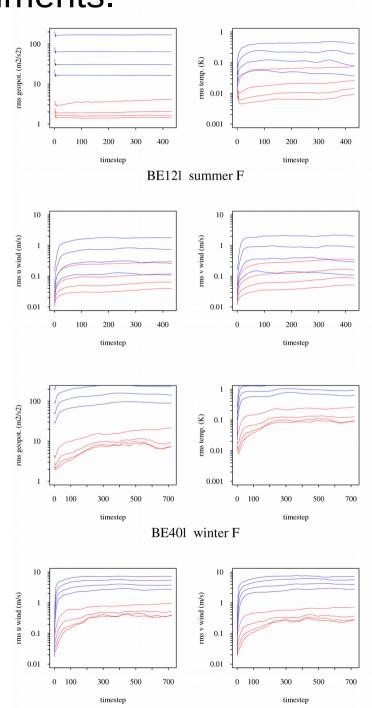
#### A-grid outperforms Z-grid...



Plot of the rms difference with respect to the spectral run of the geopotential height, temperature and wind components at 500 hPa, averaged over the entire considered summer period (20/6/1016 to 26/6/2016) and all grid points. The grid is the 12 km grid with linear truncation and no DFI ('F' notation meaning 'False'). The blue (resp. red) lines represent the Z (resp. A) grid and per color the lines with smaller rms errors represent higher order finite difference runs.

### ... in all experiments.





#### Back to the conclusion of my PhD

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This thesis provides arguments that a local solver can be added to the ALADIN framework while retaining most of the current code organization. FD spatial discretization methods based on the Z-grid approach suffer from an eigenmode decomposition problem, which mainly manifests itself during the first timesteps. Similar FD tests were undertaken within an A-grid approach and no fingerprint of the spurious waves that are diagnosed in analytical A-grid tests was found. The A-grid approach combined with fourth- or higher-order FD spatial discretization yields results close to the spectral experiments for ALARO tests. Therefore, higher-order A-grid methods are a promising candidate for a modular implementation of local schemes within ALADIN.

What's next?: - publish these results

- go to real FD solvers within ALADIN context

A first step in direction of implementation of local solver...



## Strategy for implementing a gridpoint solver

Ludovic Auger

ALADIN/HIRLAM Dynamics Day