

Can we unify clouds representation throughout Alaro physics ?

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Cloud production line

- Prognostic water variables: $q_v^-, q_i^-, q_\ell^- \longleftrightarrow q_s^-, q_r^-$
- TOUCANS including mass-flux-type shallow convective transport: estimates
 - turbulent transport coefficients
 - a shallow cloud fraction but *no* explicit condensation/evaporation
- Turbulent diffusion
- Statistical *cloud scheme*: Xu-Randall based, completed by pragmatic closure
 - ⇒ compute an equilibrium between $\overline{q_t}, \overline{q_{cs}}, N_s$
 - Based on a state resulting from resolved and turbulent motion
 - ⇒ normally includes condensation due to
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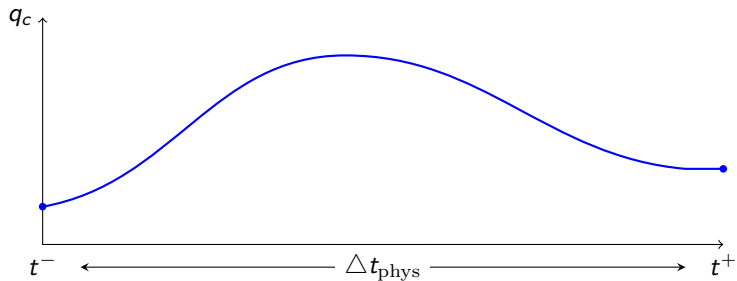
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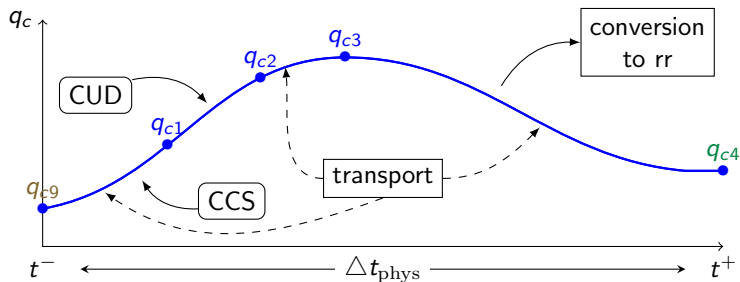
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- ```
graph TD; A([q_v^-, q_i^-, q_l^-]) --> B([q_t^-, T^-, N_c^-]); B -.-> C[N^rad, q_c^rad]; C -.-> D[RADIATION]; D -.-> E[classified N]; F[resolved motions] -.-> G[Xu-Randall based cloud scheme]; G -.-> C; G -.-> D;
```

# Cloud condensate evolution along parameterizations

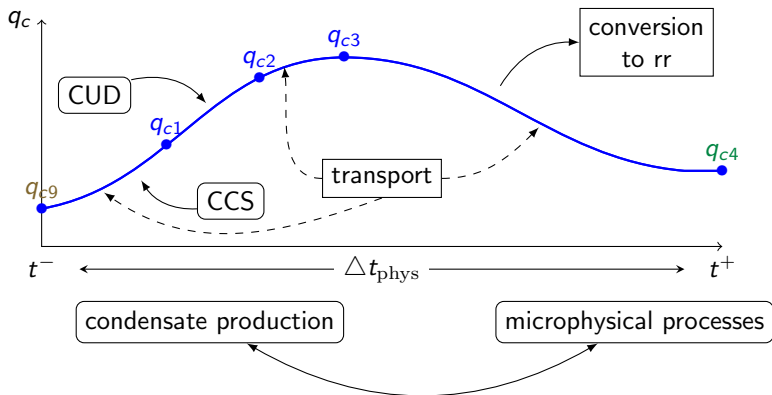


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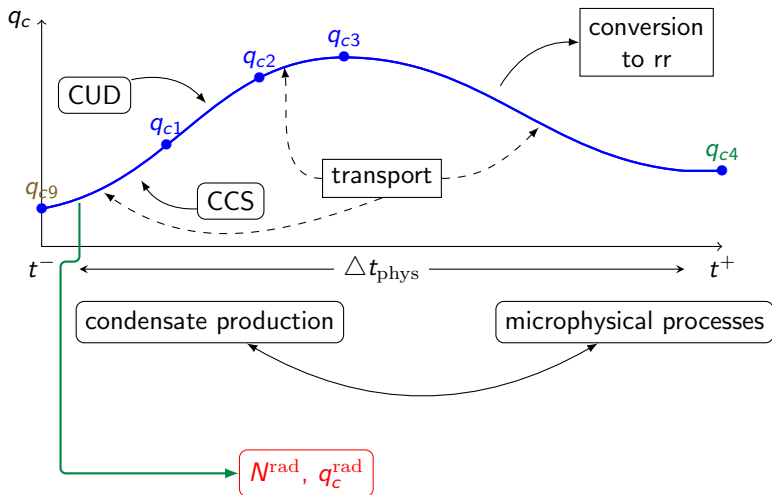




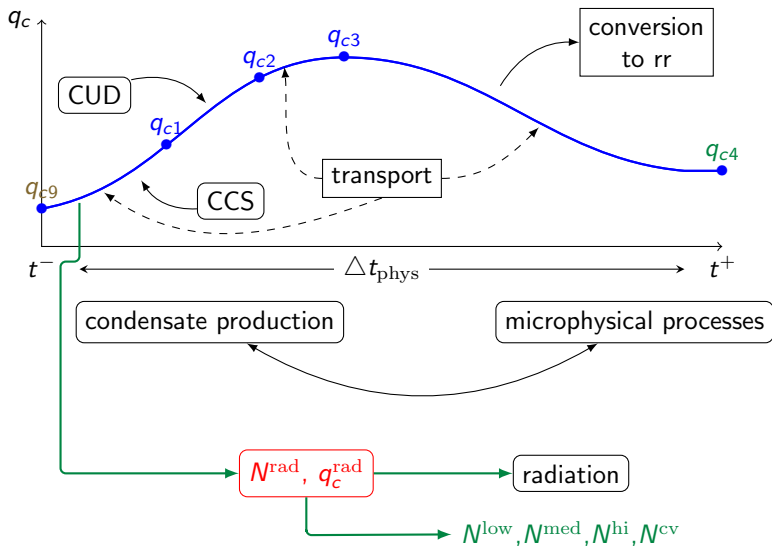
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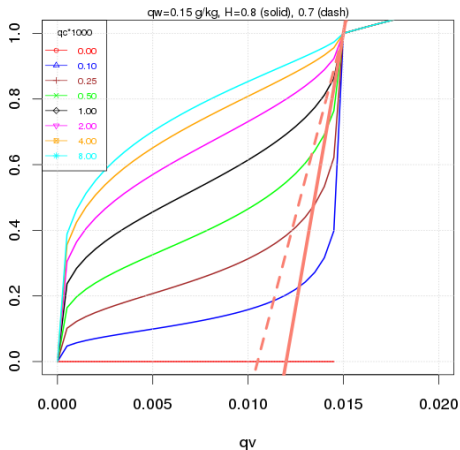


# Cloud condensate evolution along parameterizations



# Xu-Randall *diagnostic* formula in cloud scheme

## XR approximated formulation



$$N \approx \left( \frac{q_v}{q_w} \right)^{\frac{1}{4}} \frac{\alpha q_c}{\alpha q_c + (q_w - q_v)^{\frac{1}{2}}},$$

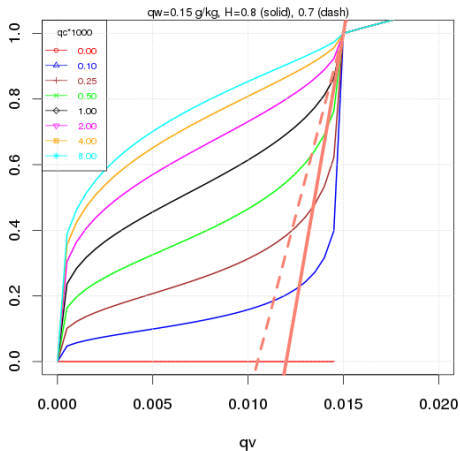
$$q_t = q_c + q_v,$$

$$\underbrace{q_v = q_w N + H \cdot q_w (1 - N)}$$

$\alpha \sim 150$ ,  $q_t$ ,  $H(z)$ ,  $q_w$  fixed  
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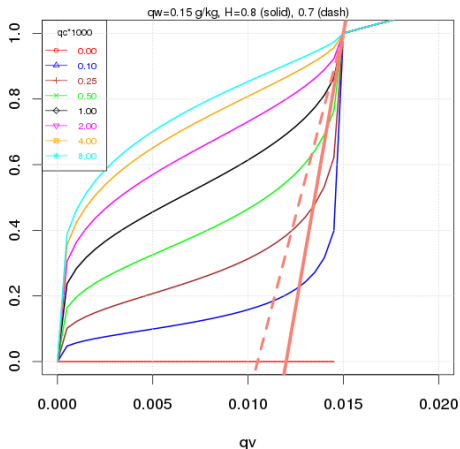
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$$q_w = \text{ , } q_v \nearrow \Rightarrow N \nearrow \dots$$

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actually  $H(z)$  – prescribed RH in  
clear part – should be affected by  
evaporation

## Survival kit within the XR-based scheme

- Cloud fraction diagnosed from XR is related to hanging condensates
- First estimation of an equilibrium:  $E0 \equiv \{q_t^0 = q_t^-, q_c^{(0)}, N_s^{(0)}\}$   
*output cloud fraction based on  $N^{\text{rad}}$  built on this  $N_s^{(0)}$*

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- After vertical turbulent diffusion, reestimate  $E1 \equiv \{q_t^{(1)}, q_c^{(1)}, N_s^{(1)}\}$
- A 'stratiform' condensation/evaporation flux is computed from the difference of  $E1$  value  $q_c^{(1)}$  and  $q_c^-$  input to the scheme.  
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*(associated heat exchanges ignored while computing  $E0$ ,  $E1$ )*
- conversion to precipitation further perturbs this equilibrium:  
 $\rightarrow q_c^+ < q_c^{(1)}$  and  $q_t^+ < q_t^- \dots$   
*(conversion local  $q_c \rightarrow (q_r, q_s)$ , variation  $q_t$  ignored in  $E0$ ,  $E1$ )*  
( $\leftrightarrow$  more elaborated budgets in RK98 ?).
- the final value of condensates advected by the large-scale flow are smaller than the  $E1$  values fulfilling the XR formula.

The actual tuning of  $H(z)$  and of  $\alpha$  tries to compensate the different inadequacies.

## Critical relative humidity profile $H(z)$

Closure used by Smith (1990) (constant values 0.85/0.925,  $\Delta x \sim 300\text{km}$ ) as a way to represent the subgrid variability.

$$RH_{\text{crit}} = 1 - \sqrt{6} \frac{\sqrt{q_t'^2 - 2\alpha_S \overline{T_L'} q_t' + \alpha_L^2 \overline{T_L'^2}}}{q_{\text{sat}}(T_L)}, \quad \alpha_L = \frac{\partial q_{\text{sat}}(T_L)}{\partial T}$$

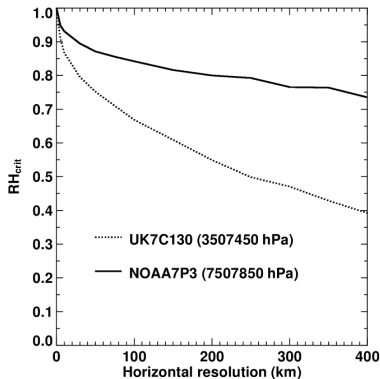
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  - Vertical dependency  
→ 1 at bottom and top  
to prevent spurious clouds
  - Grid-box length dependency  
*estimated with subgrid variances  
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FASTEX measurements*

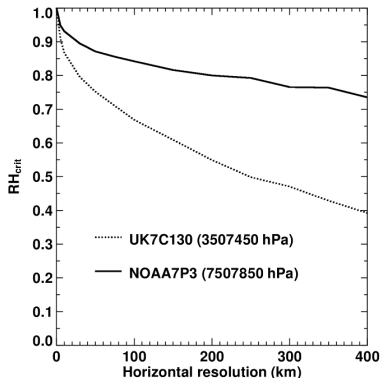


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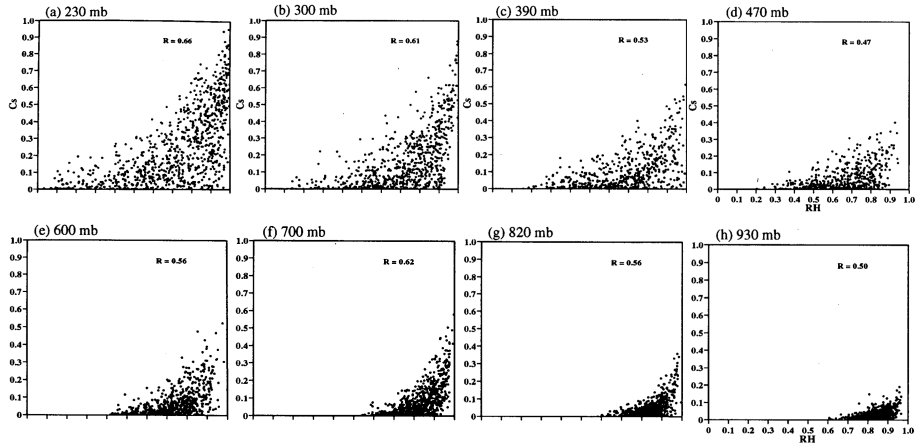
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  - **assumes triangular distribution**
  - **Right formula ?**



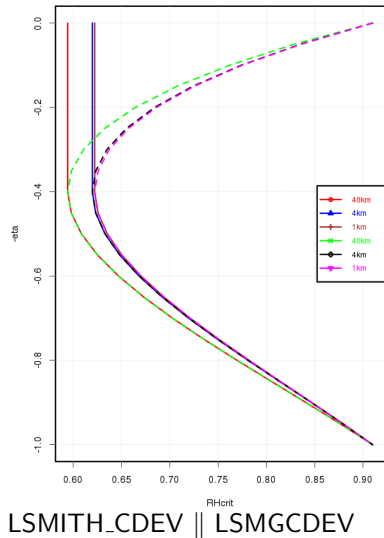
# Xu-Randall 1997 Fig 5

Scatterplot: stratiform cloud amount vs large-scale RH (GATE 64km subdomain)



*...there is no unique threshold RH for zero  $C_s$  at any level !*

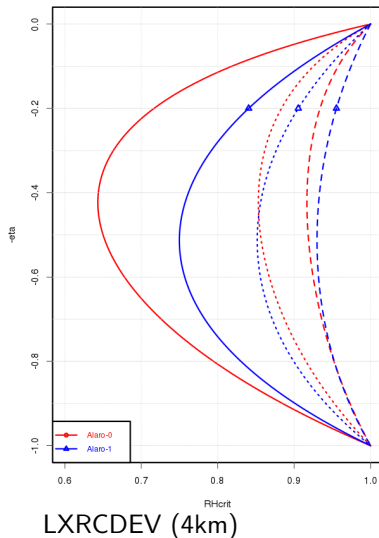
# $H(z)$ as implemented in the code



- minimum value much smaller than presented by Lopez
- ... but did he use the correct formula ?

## $H(z)$ as implemented in the code

- Explicit phase dependency (dot=ice, dash=liquid)
- Values for ice and droplets closer to Lopez's suggestion in XR...
- but anyway no triangular distribution !
- Smaller  $H$  used in radiation (solid line) but further reduction of condensate by coefficient  $c_1/\sqrt{1 + (c_2 \cdot \bar{q}_{\text{sat}})^2}$  with  $c_1 = 0.4$ ,  $c_2$  cste (500) or increasing upwards (250  $\rightarrow$  1000).



## $H(z)$ as representing subgrid variability

- When stratiform clouds are not alone in the grid box, does this formula keep sense:  $q_v = q_w N + H \cdot q_w (1 - N)$  ?

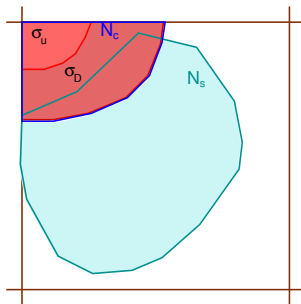


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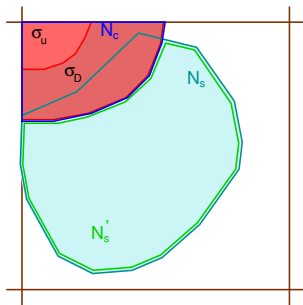
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$$e = 1 - N_c$$

$$N_t = N_c + N'_s$$

$$N'_s = N_s(1 - N_c) = N_s^* e$$

where  $N_s^*$  is the cloudy fraction of  $e$ .



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⇒ estimate N/XR equilibrium over whole grid-box:
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- XR97: *...deep convection tends to warm and dry the environment; it reduces the clear regions RHs...*  
⇒ try to reduce  $H$  where deep convection is active ?

# How to estimate clouds before radiative scheme ?

Starting state:

- 3-D advected prognostic water variables:  $q_v, q_i, q_\ell, q_s, q_r$   
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- 'diagnostic': less dependent of actual cloud scheme
  1. independent calculation of 'stratiform' condensates  $q_{cs}$ : estimate over-saturation with respect to a  $H'(z)$  profile with no phase or  $\Delta x$  dependency, replaced by  $q_{\text{sat}}$ -dependent attenuation of the condensation.
  2. re-estimate convective condensates with inverted XR formula  $q_{cc}(N_c^-, q_t, q_w)$ ;
  3.  $q_c = q_{cc} + q_{cs}$  and direct XR formula  $N(q_c, q_t, q_w)$ .

Rem:  $q_{cc}$  has not been subtracted from  $q_t$  to compute  $q_{cs}$



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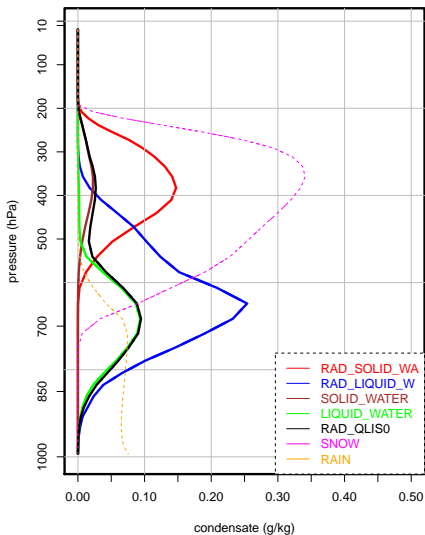
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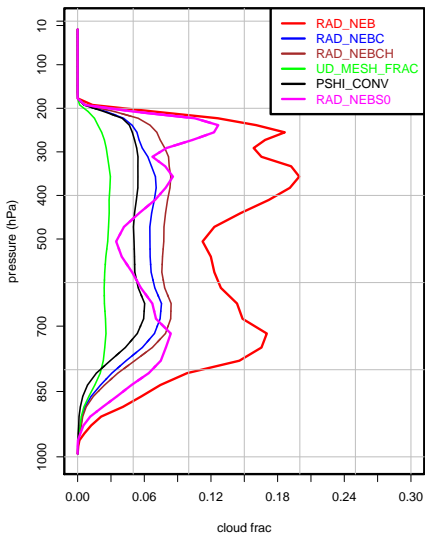
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- Other schemes sometimes apply empirical scaling of cloudiness or cloud condensate passed to radiation scheme...

# Example of fractions evaluations

t4D004+04



t4D004+04



## Perspectives

- XR-based scheme arbitrariness is not worse than other schemes. High resolution and convection-permitting resolutions may need additional refinements
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  - Using the advected water variables and cloud fraction suffers from smoothing and **inadequacies of interpolations**, especially for variables that are very inhomogeneous.
  - The various interactions between parameterized processes can hardly be envisaged, even by iterating parts of the physics.

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- Seen the organization of the parameterizations, the evaluation of cloudiness before radiation **cannot use accurate information**:
  - Using the advected water variables and cloud fraction suffers from smoothing and **inadequacies of interpolations**, especially for variables that are very inhomogeneous.
  - The various interactions between parameterized processes can hardly be envisaged, even by iterating parts of the physics.

However – **maybe ?**

- Trying to use cleaner formulas that are the same in the first evaluation of cloudiness and in the final cloud condensate generation would be an asset, allowing to better identify the sources of errors.